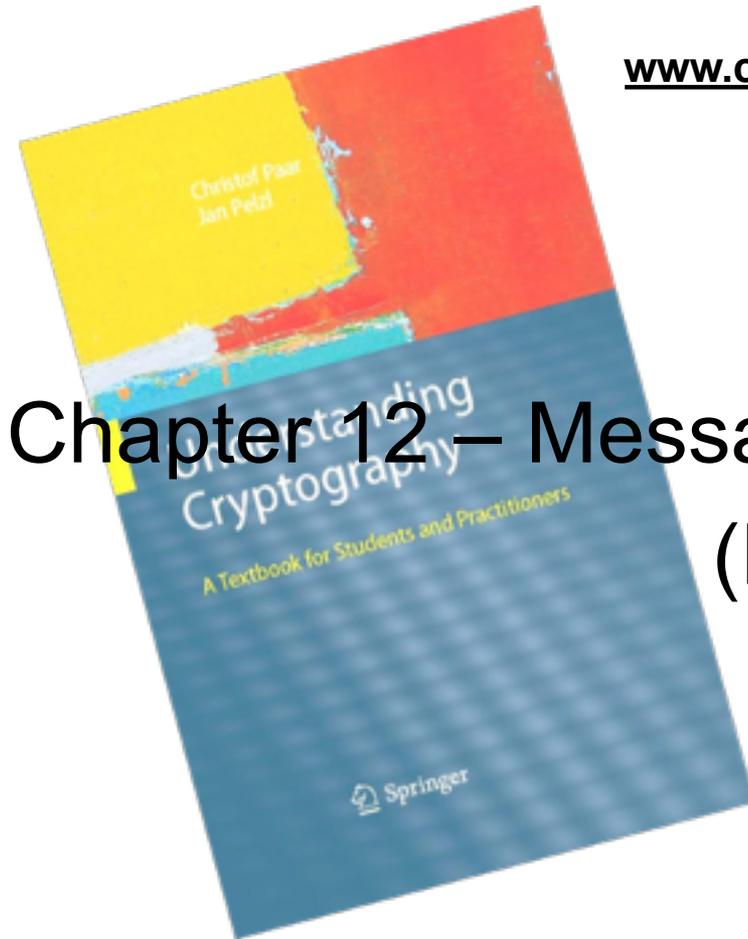


Understanding Cryptography

by Christof Paar and Jan Pelzl

www.crypto-textbook.com



Chapter 12 – Message Authentication Codes (MACs)

These slides were prepared by Christof Paar and Jan Pelzl
And modified by Sam Bowne

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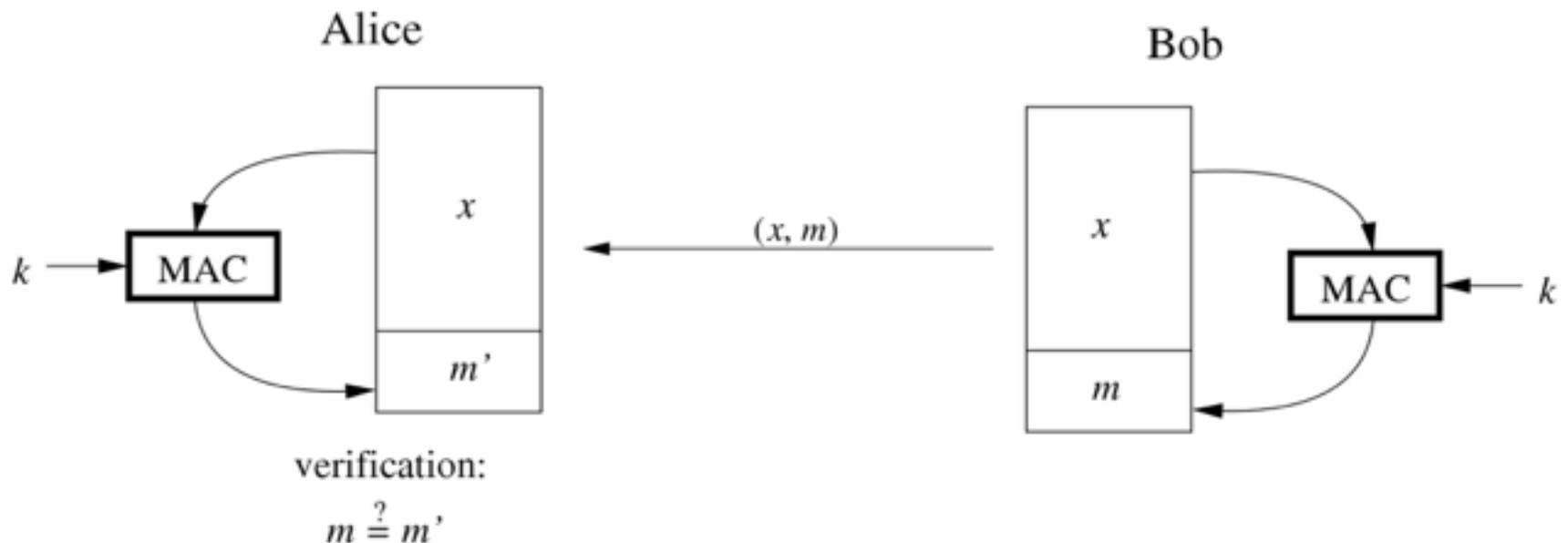
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12.1

Principles of Message Authentication Codes

Principle of Message Authentication Codes

- Similar to digital signatures, MACs append an authentication tag to a message
- MACs use a symmetric key k for generation and verification
- Computation of a MAC: $m = \text{MAC}_k(x)$



Properties of Message Authentication Codes

1. Cryptographic checksum

A MAC generates a cryptographically secure authentication tag for a given message.

2. Symmetric

MACs are based on secret symmetric keys. The signing and verifying parties must share a secret key.

3. Arbitrary message size

MACs accept messages of arbitrary length.

4. Fixed output length

MACs generate fixed-size authentication tags.

5. Message integrity

MACs provide message integrity: Any manipulations of a message during transit will be detected by the receiver.

6. Message authentication

The receiving party is assured of the origin of the message.

7. No nonrepudiation

Since MACs are based on symmetric principles, they do not provide nonrepudiation.

12.2

MACs from Hash Functions: HMAC

MACs from Hash Functions

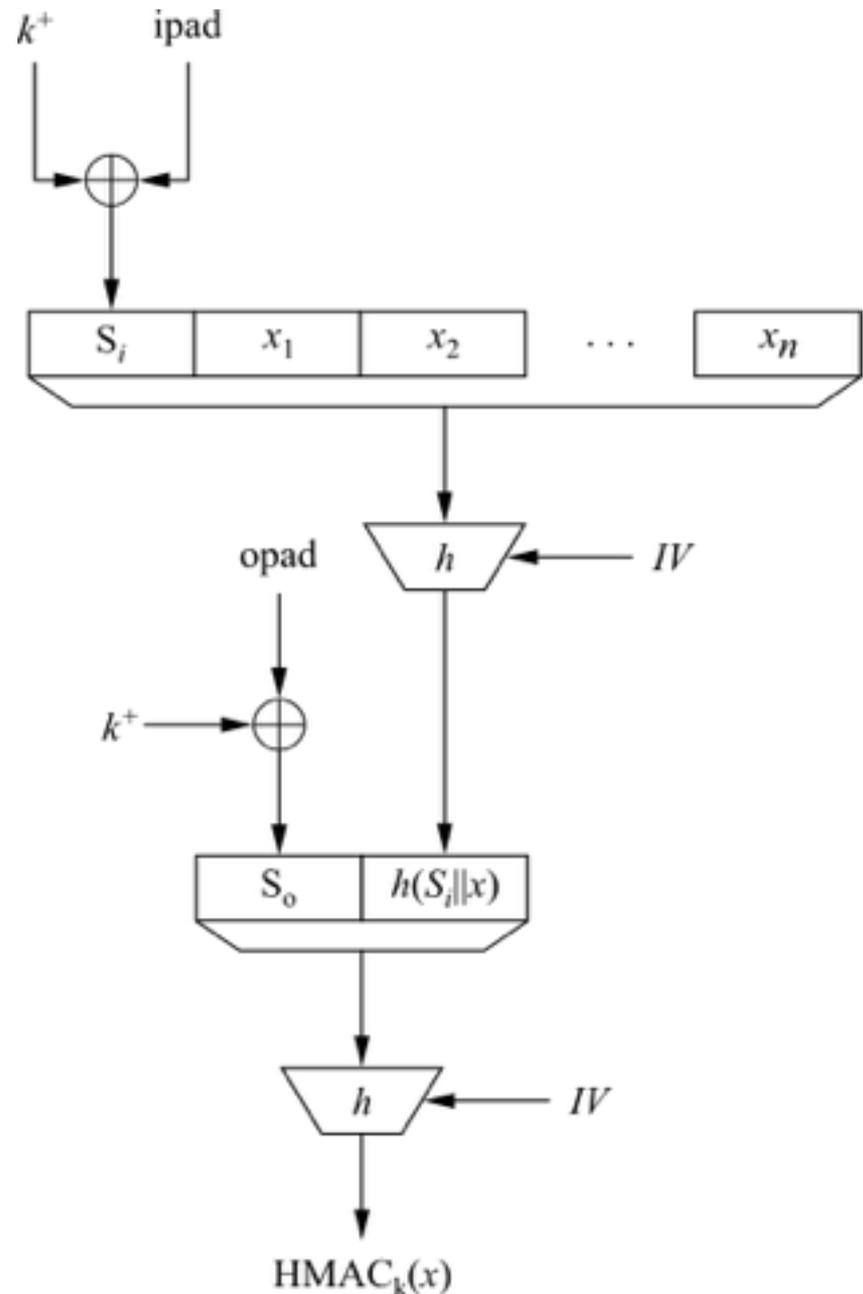
- MAC is realized with cryptographic hash functions (e.g., SHA-1)
- HMAC is such a MAC built from hash functions
- Basic idea: Key is hashed together with the message
- Two possible constructions:
 - secret prefix MAC: $m = \text{MAC}_k(x) = h(k||x)$
 - secret suffix MAC: $m = \text{MAC}_k(x) = h(x||k)$

MACs from Hash Functions: Attacks

- Secret prefix MAC: Attack MAC for the message $x = (x_1, x_2, \dots, x_n, x_{n+1})$, where x_{n+1} is an arbitrary additional block, can be constructed from m without knowing the secret key
- Secret suffix MAC: find collision x and x_0 such that $h(x) = h(x_0)$, then $m = h(x||k) = h(x_0||k)$
- Idea: Combine secret prefix and suffix: HMAC (cf. next slide)

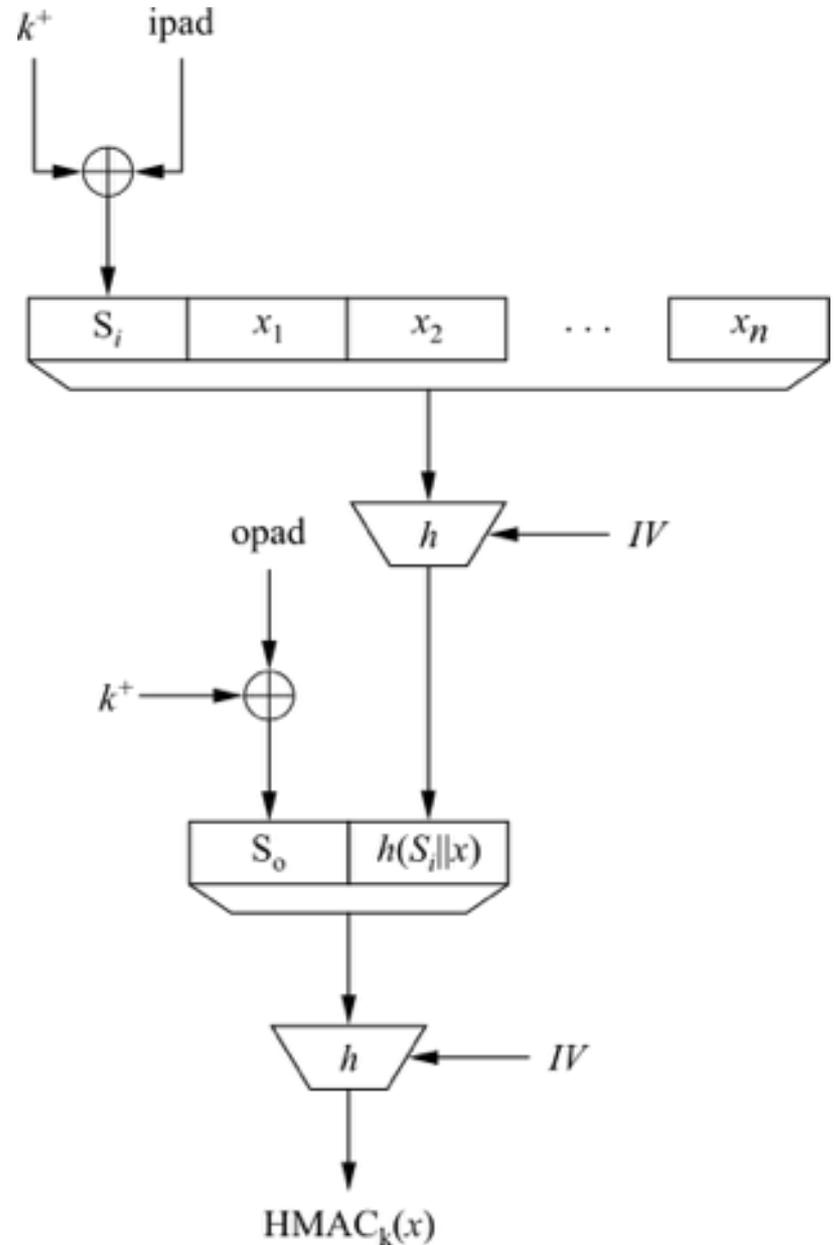
HMAC

- Proposed by Mihir Bellare, Ran Canetti and Hugo Krawczyk in 1996
- Uses two hashes: **inner** & **outer**
 - k^+ is key k padded with zeroes to the block length of the hash function
 - expanded key k^+ is XORed with the inner pad
 - $\text{ipad} = 00110110$ repeated
 - $\text{opad} = 01011100$ repeated
- $\text{HMAC}_k(x) = h [(k^+ \oplus \text{opad}) || h [(k^+ \oplus \text{ipad}) || x]]$



HMAC

- HMAC is provably secure
- The MAC can only be broken if a collision for the hash function can be found.



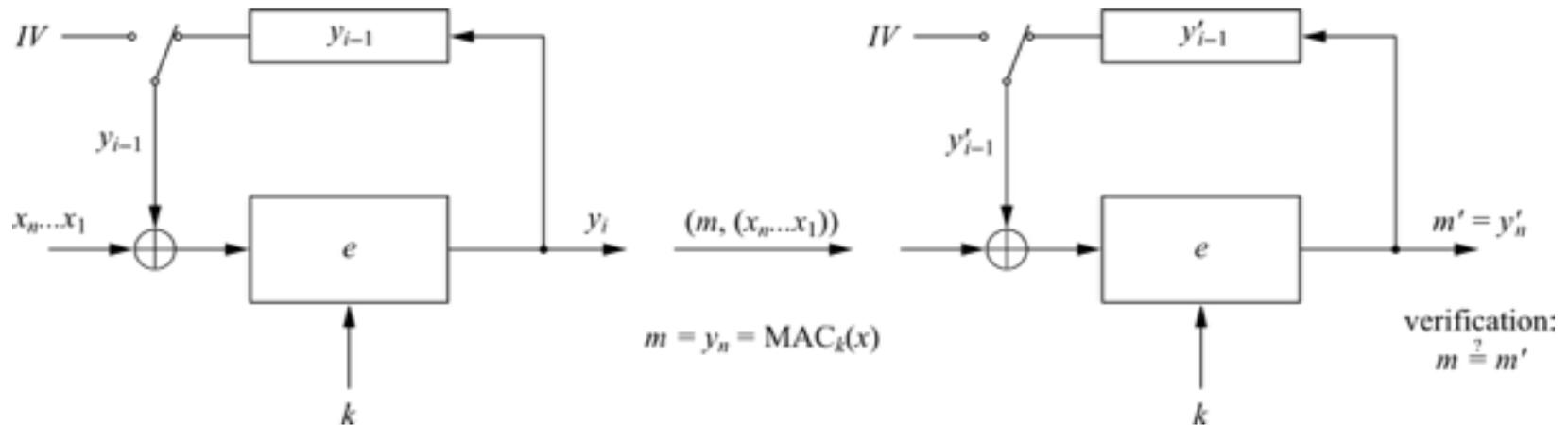
12.3

MACs from Block Ciphers: CBC-MAC

MACs from Block Ciphers

- MAC constructed from block ciphers (e.g. AES)
- Popular: Use AES in CBC mode

- CBC-MAC:



CBC-MAC

- MAC Generation
 - Divide the message x into blocks x_i
 - Compute first iteration $y_1 = e_k(x_1 \oplus IV)$
 - Compute $y_i = e_k(x_i \oplus y_{i-1})$ for the next blocks
 - Final block is the MAC value: $m = \text{MAC}_k(x) = y_n$
- MAC Verification
 - Repeat MAC computation (m')
 - Compare results: In case $m' = m$, the message is verified as correct
 - In case $m' \neq m$, the message and/or the MAC value m has been altered during transmission

12.4

Galois Counter Message Authentication Code: GMAC

CBC-MAC

- MAC Generation
 - Divide the message x into blocks x_i
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■ Lessons Learned

- MACs provide two security services, *message integrity and message authentication*, using symmetric techniques. MACs are widely used in protocols.
- Both of these services also provided by digital signatures, but MACs are much faster as they are based on symmetric algorithms.
- MACs do not provide nonrepudiation.
- In practice, MACs are either based on block ciphers or on hash functions.
- HMAC is a popular and very secure MAC, used in many practical protocols such as TLS.

Kahoot!